

- C Zero matrix D Unit Matrix
6. Roots of the matrix A are 1,5,10, then choose the eigen values of $10A^{-1}$ is
 A 1,1/5,1/10 B 10,2,1
 C 1,5,10 D 5,10,1
7. If the curves cut at right angles then tell the value of $\Phi=?$
 A 45° B 0°
 C 180° D 90°
8. If the tangents are perpendicular then find $m_1.m_2=?$
 A -1 B 0
 C 1 D 45°
9. Curvature at P is equal to
 A The radius of curvature B The square of radius of curvature
 C The reciprocal of radius of curvature D The square root of radius of curvature
10. Calculate the pde of all spheres with centres on the z axis?
 A $py=qx$ B $py=qxy$
 C $Px=qy$ D $pxy=qy$
11. Represent the complete solution of $z=px+qy-pq$.
 A $z=ax+by-pq$ B $z=ax+by-ab$
 C $z=ax-by-pq$ D Cannot be determined
12. Represent the complete solution of $pq=1$.
 A $z=ax+y/a+c$ B $z=ax+a/y+c$
 C $z=axy+c$ D $z=px+qy+c$
13. Evaluate the value of the integral $\int_0^{\pi/4} \tan x \, dx$
 A $\log\sqrt{2}$ B $\log 1$
 C $\text{Log}(\pi/2)$ D 0

14. Evaluate the integral value of odd function from $-a$ to $+a$.
 A 1 B $2 \times \text{integral from } 0 \text{ to } a$
 C 0 D Data insufficiency
15. Evaluate the value of the integral $\int_0^{\pi/2} \sin^n x \, dx$ at $n=7$.
 A $63/512$ B 0
 C $48/105$ D $105/48$

SECTION B – (2 x 5 = 10 marks)
ANSWER ANY TWO QUESTIONS

16. Transform the equation $x^4 - 4x^3 - 18x^2 - 3x + 2 = 0$ into an equation with the third term absent.
17. Show that the Matrices A, B and C given below have the same eigenvalues.
 $A = \begin{bmatrix} 0 & a & b \\ a & 0 & c \\ b & c & 0 \end{bmatrix}; B = \begin{bmatrix} 0 & b & a \\ b & 0 & c \\ a & c & 0 \end{bmatrix}; C = \begin{bmatrix} 0 & c & b \\ c & 0 & a \\ b & c & 0 \end{bmatrix}$
18. Estimate the radius of curvature of the curve $xy^2 = a^3 - x^3$ at the point (a,0).
19. Form a partial differential equation of any sphere of radius r having its centre in the xoy plane by eliminating constants.
20. Estimate the value of integral $\int e^x \sin x \, dx$.

SECTION C – (5 x 10 = 50 marks)
ANSWER ALL QUESTIONS